

- The family of curves with differential equation $\frac{dy}{dx} + \frac{\sqrt{1+y^2}}{\sqrt{1+x^2}} = 0$ is
 - $\sinh^{-1}x + \sinh^{-1}y = c$
 - $\sin^{-1}x + \sin^{-1}y = c$
 - $\sin^{-1}x - \sin^{-1}y = c$
 - $\sinh^{-1}x - \sinh^{-1}y = c$
- The general solution of exact equation $Mdx + Ndy = 0$ is
 - $\int_{y=\text{const}} Mdx + \int (\text{termsof } M \text{ not containing } x)dy = c$
 - $\int_{y=\text{const}} Mdx + \int (\text{termsof } N \text{ not containing } x)dy = c$
 - $\int (Mdx + Ndy) = c$
 - $\int_{y=\text{const}} Mdx + \int_{x=\text{const}} Ndy = c$
- An I.F. of $(x^2y - 2xy^2)dx - (x^3 - 3x^2y)dy = 0$ is
 - x^2y^2
 - $\frac{1}{x^2y^2}$
 - $-\frac{1}{x^2y^2}$
 - $2x^3y - x^2y^2$
- The general solution of $\frac{ydx - xdy}{y^2} + xe^x dx = 0$ is
 - $x + (x-1)ye^x = c$
 - $\frac{x}{y} + (x-1)e^x = c$
 - $\frac{x}{y} + (x-1)e^x = c$
 - $y + x(x-1)e^x = c$
- An I.F. of $(x-y)dx - dy = 0$ is
 - x
 - $\frac{1}{x}$
 - e^{-x}
 - e^x
- The general solution of $y' + 2xy = e^{-x^2}$ is
 - $e^{x^2} = yx + c$
 - $ye^{x^2} = x + c$
 - $y = xe^{x^2} + c$
 - $x = ye^{x^2} + ce^{-x^2}$
- The general solution of $(1+y^2)dx = (\tan^{-1}y - x)dy$ is
 - $x = \tan^{-1}y + 1 + ce^{-\tan^{-1}y}$
 - $y = \tan^{-1}y - 1 + ce^{-\tan^{-1}y}$
 - $x = \tan^{-1}y - 1 + c$
 - $x = \tan^{-1}y - 1 + ce^{-\tan^{-1}y}$
- An I.F. of $x\frac{dy}{dx} + y = x^3y^5$ is
 - y^5
 - y^{-5}
 - x^{-5}
 - x^5
- The temperature of a body initially at 80°C reduce to 60°C in 12 min. If the temperature of the surrounding air is 30°C , find the temperature of the body after 24 min.
 - 45°C
 - 40°C
 - 46°C
 - 48°C
- The D.E. of orthogonal trajectories of the family of curves $ay^2 = x^3$, where a is a parameter is
 - $3x\frac{dy}{dx} + 2y = 0$
 - $3x\frac{dy}{dy} + 2y = 0$
 - $3x\frac{dy}{dx} + 2y = 0$
 - $3y\frac{dy}{dy} + 2x = 0$
- The complete solution of $(D^2-1)y = 0$ is
 - $c_1e^x + c_2e^{-x}$
 - $(c_1 + c_2x)\cos x$
 - $(c_1 + c_2x)e^x$
 - $c_1\cos x + c_2\sin x$
- Auxiliary equation of $\frac{d^2y}{dx^2} = \frac{dy}{dx}$ has
 - Two equal real roots
 - One real and a pair of complex roots.
 - Unequal roots
 - Repeated roots
- The particular value of $\frac{1}{D+1}x =$
 - $x+1$
 - x^2-1
 - $x-1$
 - x^2+1
- The P.I. of $(D^2+5D+6)y = e^x$ is
 - $\frac{e^x}{5}$
 - $\frac{e^x}{12}$
 - $\frac{e^x}{6}$
 - $\frac{e^x}{12}$
- The P.I. of $(D-2)^2y = 8\sin 2x$ is
 - $\cos 2x$
 - $\frac{1}{8}\cos 2x$
 - $-\cos 2x$
 - $\frac{1}{2}\cos 2x$
- The P.I. of $(D^2 + a^2)y = \cos ax$ is
 - $\frac{x \cos ax}{a}$
 - $\frac{x \sin ax}{2}$
 - $-\frac{x \cos ax}{2a}$
 - $\frac{x \sin ax}{2a}$
- The P.I. of $\frac{1}{D-2}2^x$
 - $\frac{2^x}{\log 2 + 2}$
 - $\frac{2^x}{\log 2 - 2}$
 - $\frac{2^x}{2 \log 2 - 2}$
 - $\frac{2^x}{x \log + 2}$
- V is function of x , $\frac{1}{f(D)}e^{ax}V =$
 - $e^{ax} \frac{1}{f(a)}V$
 - $e^{ax} \frac{1}{f(D)}V$
 - $e^{ax} \frac{1}{f(D+a)}V$
 - $e^{ax} \frac{1}{f(D-a)}V$
- The C.F. of $(D^3 - 3D^2 - 6D + 8)y = xe^{-3x}$ is
 - $c_1e^{-x} + c_2e^{4x} + c_3e^{-2x}$
 - $c_1e^{-2x} + c_2e^x + c_3e^{-4x}$
 - $c_1e^x + c_2e^{-2x} + c_3e^{-4x}$
 - $c_1e^{-2x} + c_2e^{-x} + c_3e^{4x}$
- Given $(D^2 + a^2)y = \sec ax$, By the method of variation of parameters P.I = $A \cos ax + B \sin ax$ then $A =$
 - $\log(\cos ax)$
 - $\frac{1}{a} \log(\cos ax)$
 - $\log(\cos ax)$
 - $-\frac{1}{a} \log(\cos ax)$