

Seat No.	
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T.E. (Electrical) (Semester-V) (New) Examination, November-2019

**CONTROL SYSTEM - II**

Sub. Code :66253

Day and Date : Friday, 29 - 11 - 2019

Time : 2.30 p.m. to 5.30 p.m.

Total Marks : 100

- Instructions :
- 1) All questions are compulsory.
  - 2) Attempt any two from (1) and (2) and any one question from (3).
  - 3) Figures to the right indicate full marks.
  - 4) Solve any two sub questions from main questions.
  - 5) Assume suitable data wherever necessary.

**SECTION-I**

- Q1) a) Explain objectives and characteristics of Feedback control system [8]  
 b) What is the importance of tuning of controller? Explain Ziegler - Nichols methods for controller tuning. [8]  
 c) Explain lead compensator, lag compensator and lead-lag compensator with their transfer function considering simple electrical network. [8]
- Q2) a) Draw Bode plot for lag compensator. Also explain design procedure for design of lag compensator. [9]  
 b) Describe two degree of freedom of control. [9]  
 c) Explain effect of addition of poles and zeros on performance of control system. [9]
- Q3) a) The open loop transfer function of uncompensated system is  

$$G(s) = \frac{k}{s(s+1)}$$
 Design a suitable lead compensator of the system to meet following specifications-  
 Damping ratio = 0.7, settling time = 1.4 sec. [16]
- b) The open loop transfer function of uncompensated system is - [16]  

$$G(s) = \frac{5}{s(s+2)}$$
 Design suitable lag compensator for the system so that  $K_v = 20 \text{ sec}^{-1}$ , P.M. is at least  $55^\circ$  and gain margin is at least 12 db  
**P.T.O.**

SECTION-II

- Q4) a) Design a state variable feedback controller for a following system by Ackermann's method so that closed loop poles are at  $s = -1 \pm j2$  and at  $s = -4$ .

where,

$$\dot{x} = Ax + Bu$$

$$y = Cx + Du$$

$$A = \begin{bmatrix} 0 & 1 & 0 \\ 0 & 0 & 1 \\ -4 & -7 & -9 \end{bmatrix}, B = \begin{bmatrix} 0 \\ 0 \\ 1 \end{bmatrix}, C = [1 \ 0 \ 0] \quad [8]$$

- b) Determine whether the system is controllable by Gilberts test. [8]

$$A = \begin{bmatrix} -1 & 1 & 0 \\ 0 & -1 & 0 \\ 0 & 0 & -2 \end{bmatrix}, B = \begin{bmatrix} 0 \\ 1 \\ 1 \end{bmatrix}$$

- c) Determine whether the system is observable by Kalmans test. [8]

$$A = \begin{bmatrix} 0 & 1 & 0 \\ 0 & 0 & 1 \\ -4 & -3 & -2 \end{bmatrix}, B = \begin{bmatrix} 0 \\ 0 \\ 1 \end{bmatrix}, C = [0 \ 5 \ 1]$$

- Q5) a) Design an observer for a given plant by direct substitution method so that designed eigen values are at  $s = -2 \pm j3$  and at  $s = -4$  [9]

where.

$$\dot{x} = Ax + Bu$$

$$y = Cx + Du$$

$$A = \begin{bmatrix} 3 & 2 & 0 \\ 5 & -2 & 1 \\ 0 & 4 & 0 \end{bmatrix}, B = \begin{bmatrix} 4 \\ 1 \\ 1 \end{bmatrix}, C = [0 \ 0 \ 1]$$

- b) Derive the transfer function of observer based controller. [9]  
 c) Design an observer for the plant by direct substitution method, to yield 17.1% overshoot and settling time of 1.6 seconds. Take third closed

$$\text{loop pole at } S = -6 \quad G(S) = \frac{(S+6)}{(S+7)(S+8)(S+9)} \quad [9]$$

Q6) a) Find the Z transform for following functions

[8]

$$F(S) = \frac{2}{(S^2 + 2S + 2)}$$

b) Find the Z transform for following functions

[8]

$$F(S) = \frac{2}{S(S^2 + 1)}$$

c) Derive the Ackermann's formula to evaluate state feedback gain matrix. [8]

